

# *The Geography of Automation*

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## *Introduction*

- Automation and AI are replacing human labor for a wide range of routine-type tasks.
  - Serious consequences for employment and wages of occupations performing these tasks.
- This chapter studies the effects of automation on **regional employment and wage-inequality**.
- The aim of chapter 1 is:
  - To understand the impact of automation on the geographic distribution of employment.
  - To investigate the effects of automation on regional wage inequality.

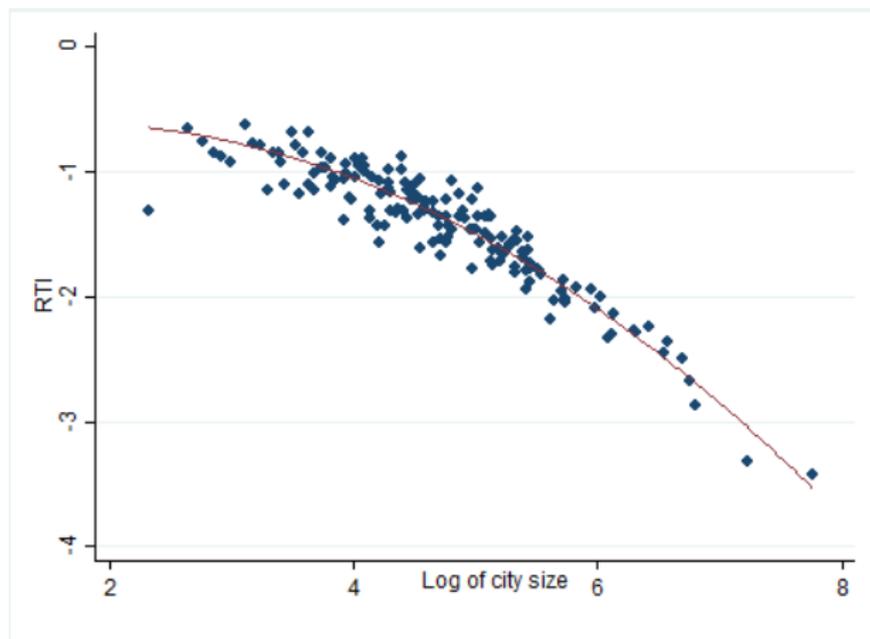
## *The Geography of Automation*

- Automation can lower labor requirements and increase firms' incentives to locate in larger cities
  - Large cities offer productivity advantages, but wages in large cities are high (Melo et al. 2009).
  - Labor intensive firms locate in low-wage small cities (Broersma and Oosterhaven 2009, Farzmand, Tu, and Norcio 2015).
- Automation can alter the distribution of employment and wages across regions.

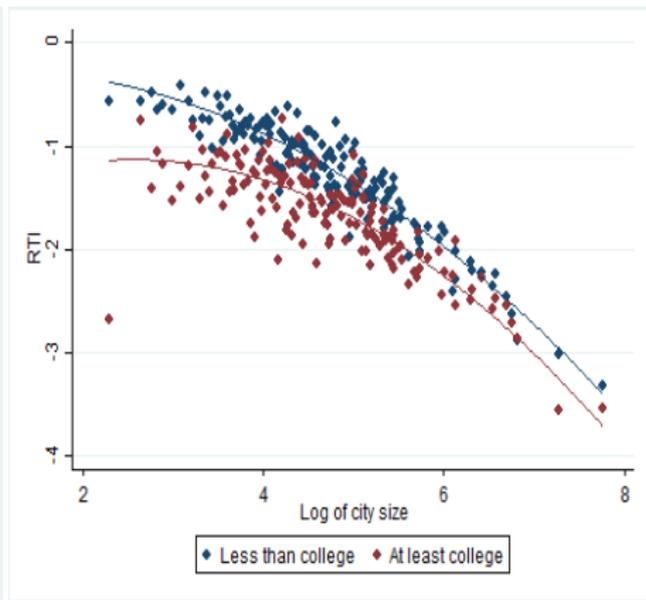
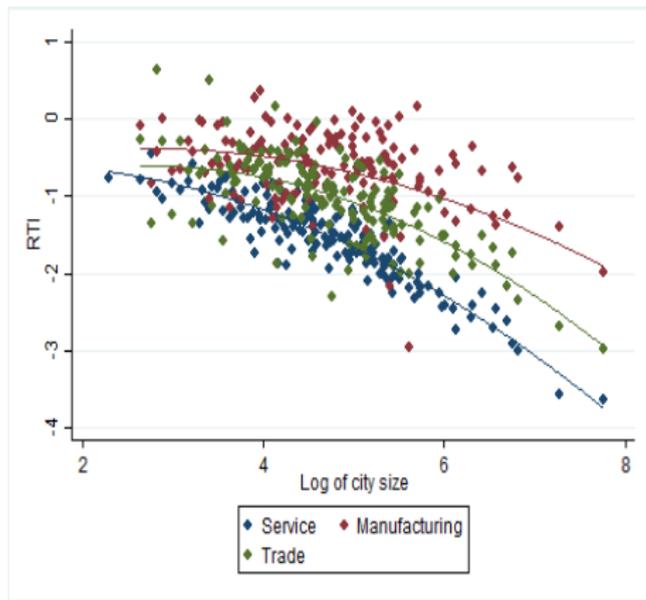
## *Contribution to Literature*

- **Measuring inequality:** Diamond (2016), Ganong and Shoag (2017), Giannone (2017), Harrigan et al. (2018), Cerina et al. (2019), Eckert (2019), Moll, Rachel and Restrepo (2021).
  - Develop a spatial general equilibrium model to measure regional wage disparity.
- **Agglomeration of firms:** Ciccone and Hall (1996), Ellison and Glaeser (1999), Combes et al. (2010), Gaubert (2018). Davis and Dingel (2019, 2020), Davis et al.(2021).
  - Identify automation as one of the determinants of agglomeration of firms in large urban areas.

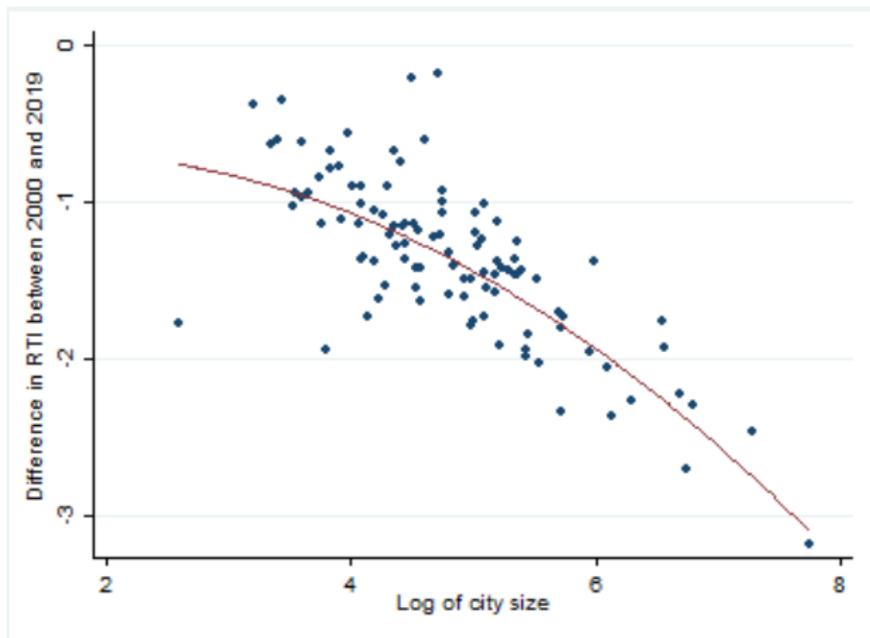
*Fact 1: Workers in larger cities perform less routine-type task*



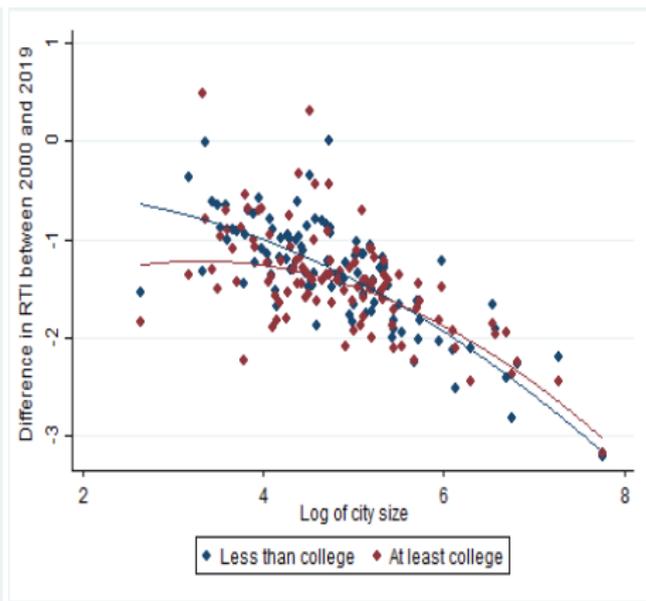
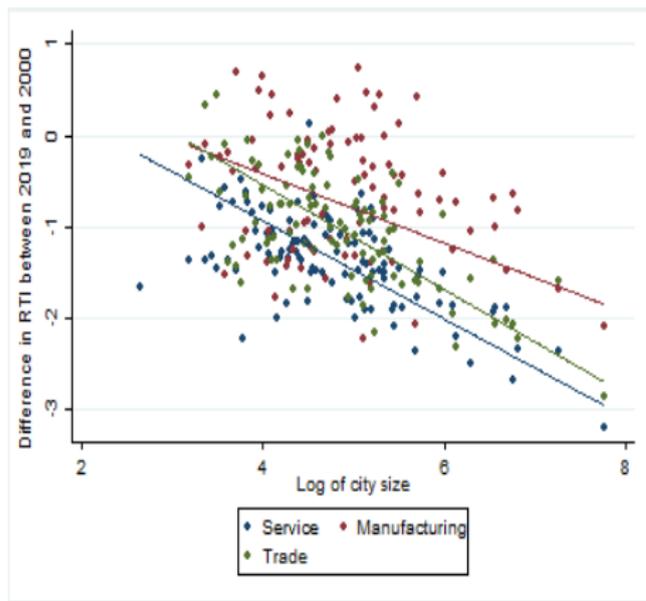
*Fact 1 holds for different levels of education and for different sectors*



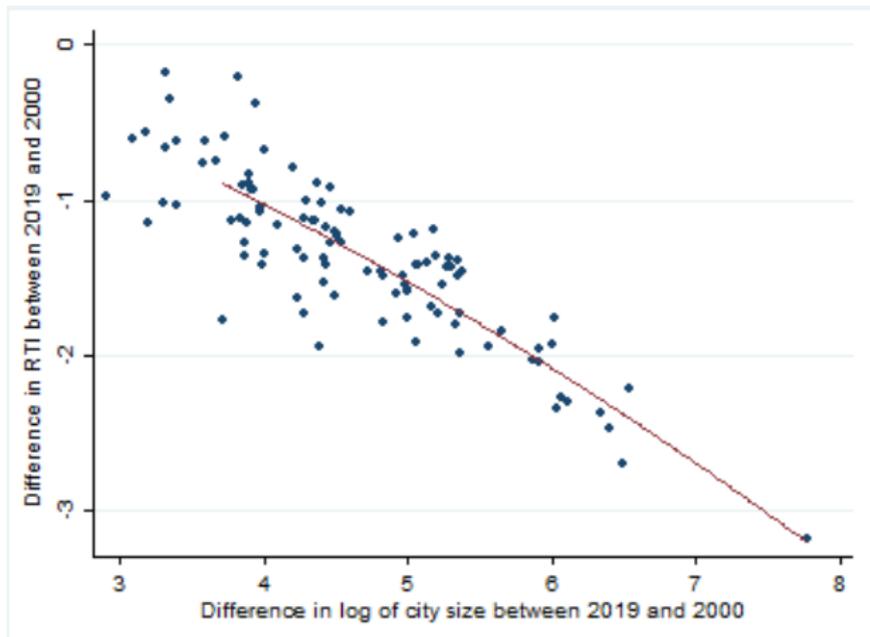
*Fact 2: Larger cities experienced greater fall in routine-type task.*



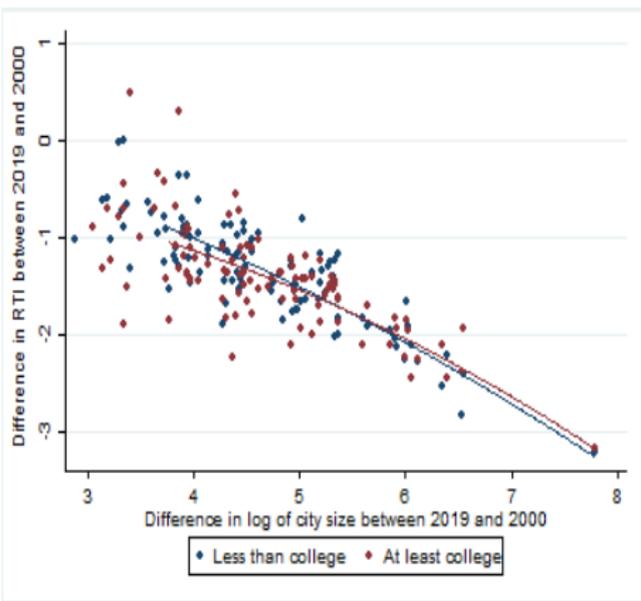
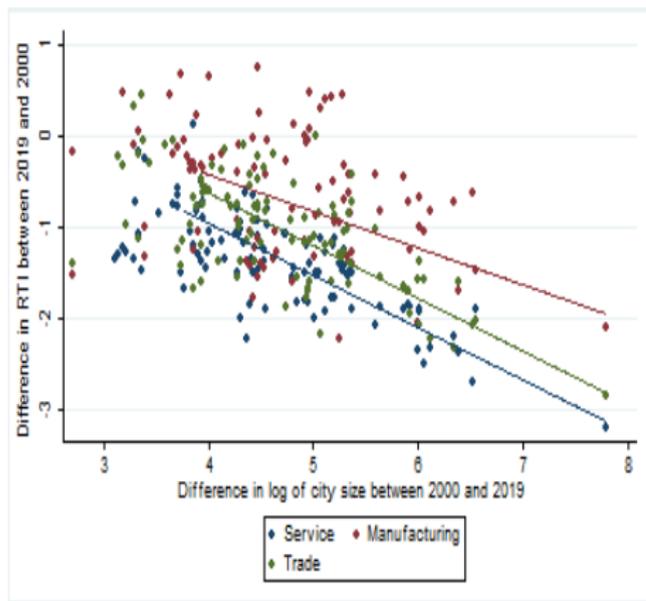
*Fact 2 holds for different levels of education and for different sectors.*



*Fact 3: Faster growing cities experienced rapid fall in routine-type task.*



*Fact 3 also holds for different levels of education and for different sectors.*



## *Stylized facts: Summary*

- Firms in large urban areas use less routine-type task.
- Routine-type task falls at a faster rate in larger cities.
  - Re-organization of economic activities over space.
  - Increase in regional wage inequality.
- To investigate these implications in a robust way, I develop a spatial model in the next section.

## *The model*

- The model combines agents sorting into different locations as in Gaubert (2018) and Desmet et al. (2018) with the task-based production technology similar to Acemoglu and Restrepo (2018).
- More automated firms use less routine-type tasks and sort into larger cities.
- Greater level of automation for all firms lead to regional wage inequality.

## *Model Environment*

- An economy with a total population  $L$  distributed over  $N$  cities indexed by  $n$ :  $\sum_{n=1}^N L_n = L$ .
- Each agent supplies 1 unit of labor inelastically and can freely move across cities.
- A city  $n$  has an endogenously determined housing supply  $H_n$ .

## Consumer's problem

- Agent  $i$  living in city  $n$  has preferences over housing ( $H_i$ ) and a tradable composite good ( $X_i$ ) characterized by the following utility function:

$$u_n^i(H, X) = a_n^i H_{ni}^\beta X_{ni}^{(1-\beta)}$$

where

- $\beta$  = Expenditure share on housing, ( $\beta \in (0, 1)$ )
- $a_n^i$  = idiosyncratic preference of agent  $i$  for city  $n$ :  
 $Pr(a_n^i \leq a) = e^{-a^{-\nu}}$ .
- $X_{ni}$  = CES aggregate of varieties:  $X_{ni} = \left[ \int_{\omega \in \Omega} x_i(\omega)^{\frac{\sigma-1}{\sigma}} d\omega \right]^{\frac{\sigma}{\sigma-1}}$ 
  - $\Omega$  = Exogenous mass of varieties,
  - $\sigma$  = Elasticity of substitution between varieties. ( $\sigma > 1$ )

## *Consumer's location choice*

- The log of the Indirect Utility function is:

$$v_n^i = w_n - \beta r + \ln(a_n^i)$$

- Agent's optimal city choice is the solution of:

$$\max_n v_n^i = w_n - \beta r + \ln(a_n^i)$$

- The labor supply of the city  $n$  is then

$$L_n = \frac{W_n^\nu}{\sum_{n=1}^N W_n^\nu} L$$

- $W_n$  = Wage in city  $n$
- $R$  = Rent in city  $n$

## *Production technology*

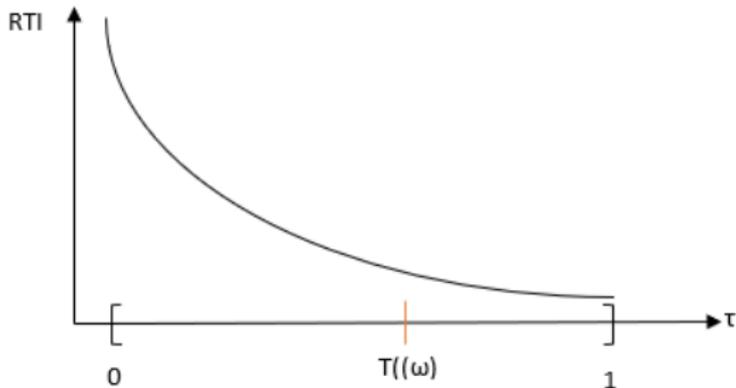
- Each variety  $\omega$  is produced by a unique firm by combining a unit continuum of tasks.
- The production function for  $\omega$  in  $n$  is:

$$q_n(\omega) = Z_n^\omega \min_{\tau} \left\{ y(\omega, \tau) \right\}$$

- $Z_n^\omega = z_n^\omega A_n L_n^\theta$ ,
  - $z_n^\omega$  = City-specific exogenous firm productivity,
  - $A_n$  = Exogenous city productivity,
  - $L_n$  = City size.
- $y(\omega, \tau)$  = Quantity of the task  $\tau$  in  $\omega$

## Tasks and automation

- Tasks are ranked by  $\tau \in [0, 1]$ , where  $\tau = 0$  for most routine-type task, and  $\tau = 1$  for least routine-type task.
- RTI index and task index  $\tau$  in  $\omega$  is related as:



- $T(\omega)$  is the automation frontier up to which all routine-type tasks can be automated.

## *Production technology for tasks*

- Tasks indexed lower than  $T(\omega)$  can be produced using either labor or capital.
- Tasks indexed higher than  $T(\omega)$  can be produced only using labor.
- Production function for a task  $\tau$  in  $\omega$  is:

$$y(\omega, \tau) = \begin{cases} \gamma l(\tau) + \eta k(\tau), & \tau \leq T(\omega) \\ \gamma l(\tau), & \tau > T(\omega) \end{cases}$$

- $\eta$ =Capital productivity,
- $\gamma$ =Labor productivity.

## *Firm's location choice*

- A firm chooses a production location that minimizes its unit cost:

$$n^*(T(\omega)) = \underset{n}{\operatorname{argmin}} \left\{ \frac{1}{Z_n^\omega} \left( \frac{T(\omega)P_k}{\eta} + \frac{(1-T(\omega))W_n}{\gamma} \right) \right\}$$

- $P_k$ =Price of capital,
- The total labor demand in city  $n$ :

$$l_n^d = \int_{\omega} \frac{(1-T(\omega))q(\omega)}{\gamma Z_n^\omega} d\omega, \quad \omega \in \Omega_n$$

- The mass of firms in city  $n$ :

$$\Omega_n = \left\{ \omega : \frac{(1-T(\omega))W_n}{\gamma Z_n^\omega} = \min \left\{ \frac{(1-T(\omega))W_{n'}}{\gamma Z_{n'}^\omega} \right\}, n' = 1, 2, \dots, N \right\}$$

## *Capital market*

- One unit of capital is produced by using  $\iota$  quantity of output.
- Price of capital is :  $P_k = \iota \times P$ .
- Aggregate capital demand is:

$$K = \sum_n \int_{\omega} \frac{T(\omega)q(\omega)}{\eta Z_n^{\omega}} d\omega$$

## *Housing market*

- Housing supply is assumed to be perfectly elastic.
- The housing market equilibrium condition:

$$L_n \frac{\beta W_n}{R} = H_n$$

## *Spatial Equilibrium*

- **Definition:** The equilibrium in this spatial economy is a menu of city level wages ( $W_n$ ), allocation of labor  $L_n$  and distribution of firms across cities as functions of  $A_n$ ,  $z_n^\omega$ ,  $T(\omega)$  and  $\iota$  that satisfies the following conditions:
  1. Individuals choose a city to reside in to maximize the indirect utility.
  2. Firms choose a production location to minimize their unit costs of production.
  3. Local labor market clears.
  4. Capital is optimally allocated.
  5. The housing market clears.

## *Automation and City Size*

- **Proposition 2:** *In cross-section,  $L_n$  and  $T_n = E\{T(\omega)|A_n\}$  are increasing in  $A_n$ . Therefore, larger cities have lower RTI.*
- *Cities with larger  $A_n$  have lower unit cost of production, especially for firms with high  $T(\omega)$ .*

Proposition 2 & 3

## Automation and Inequality

- **Proposition 3:** *A uniform increase in the level of the automation potentials for all firms,  $T'(\omega) > T(\omega) \forall \omega$ ,*
  - (i) Increases the number of firms in cities with larger  $A_n$ .*
  - (ii) Increases the  $T_n$  in cities with larger  $A_n$ .*
  - (iii) Increases wage dispersion across cities.*
- Intuition:
  - A uniform increase in  $T(\omega)$  leads to greater sorting of firms into cities with larger  $A_n$  increasing wage and number of firms in those cities.

## *Model summary*

- The model provides predictions about the relationship between  $A_n$ ,  $L_n$ , and  $T(\omega)$
- It predicts the effects of automation on city size, and wage dispersion across cities.
- I estimate the model quantitatively to measure the magnitude of these effects.

## *Parameters of the model*

- To estimate the model quantitatively, I fix the parameter values:
  - Calibration:  $\beta, \theta, \sigma, \gamma, \eta$ .
  - Estimation:  $\nu, \iota, b, std(A_n), std(z_n^\omega)$ .

## *Calibration of parameter values*

Name	Definition	Value	Source
$\beta$	Expenditure share on housing	0.35	consumer expenditure–2019, 2019 BLS
$\theta$	Agglomeration elasticity	0.1	Redding and Turner (2015)
$\sigma$	Elasticity of substitution	3.0	Anderson and van Wincoop (2004), Giovanni and Levchenko (2012)
$\gamma$	Labor productivity	0.75	Brynjolfsson and Hitt (2003)
$\eta$	Capital productivity	0.22	Brynjolfsson and Hitt (2003)

## Estimation of parameter values

Name	Definition	Value	Data source
$\nu$	Shape parameter of Fréchet	1.5	IPUMS, AHS, and US census
$\iota$	Capital production parameter	1.44	Compustat
$b$	$T(\omega) \sim U(0, b)$	0.6	IPUMS
$std(A_n)$	Std. Dev. of $A_n$	0.28	Compustat and IPUMS
$std(z_n^\omega)$	Std. Dev. of $z_n^\omega$	0.02	Compustat

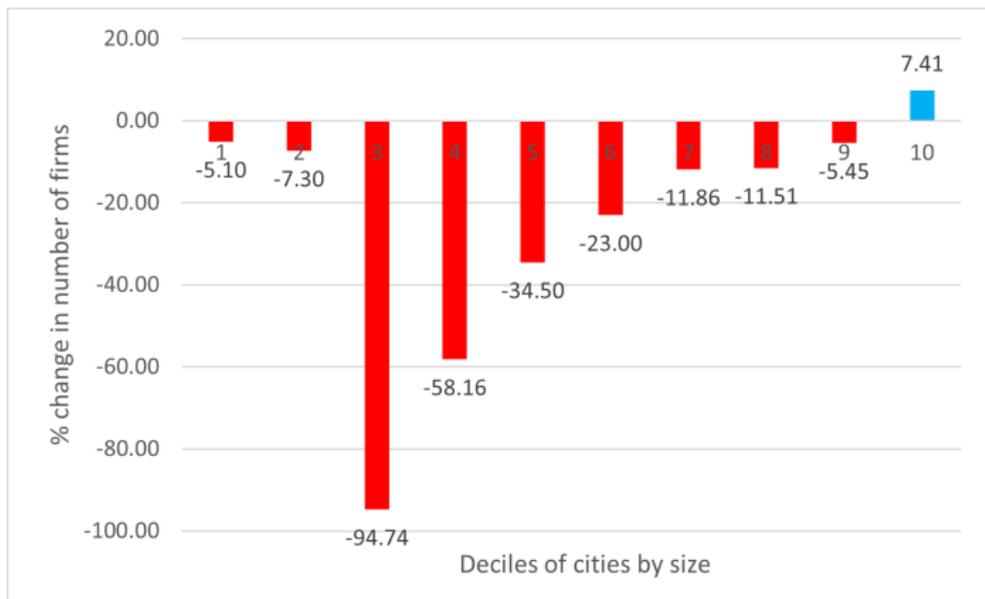
 $\nu$  $\iota$  $b$  $std(A_n)$  $std(z_n^\omega)$ 

Result

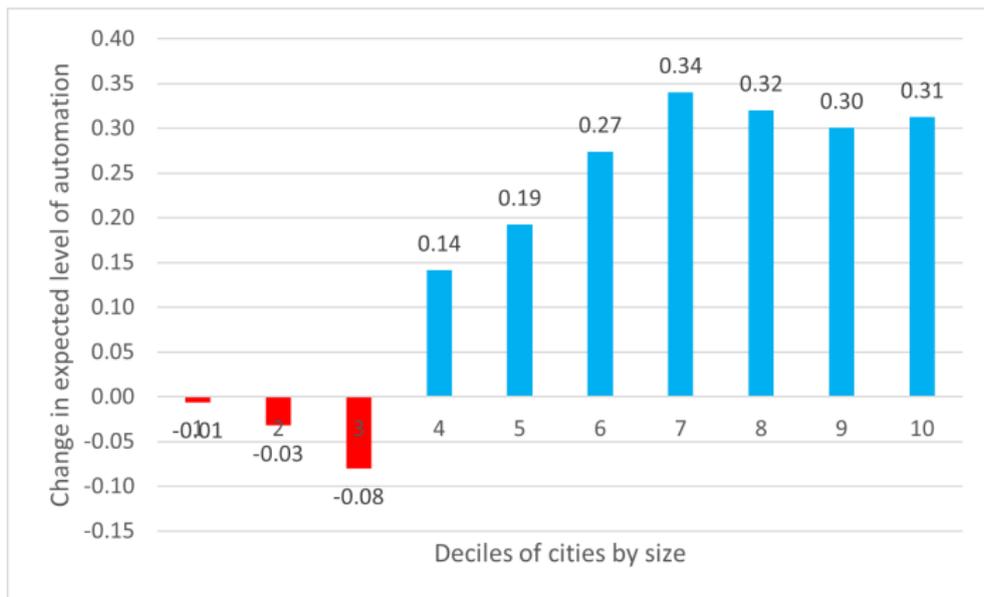
## *Counterfactual analysis*

- The baseline and counterfactual distributions of the automation frontiers are:
  1. Baseline automation frontier:  $T \sim U(a, b) \sim U(0, 0.6)$ ,
  2. Counterfactual automation frontier:  $T1 \sim U(0, 0.7)$ ,
- From 2000 to 2019,  $b$  has increased by about 0.08, so an increase in  $b$  by 0.1 indicates a change of about 25 years.

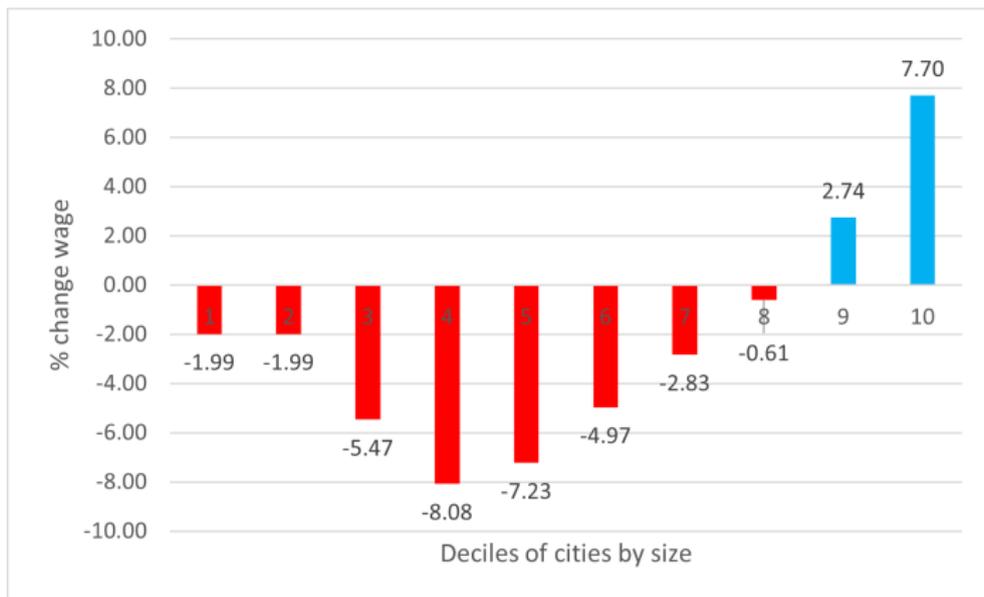
*Cities in the largest deciles gains whereas cities in all other deciles loss number of firms*



*Larger cities have positive change in the level of  
Expected automation*



*Wage dispersion rises following an uniform increase in automation potential*



## *Concluding remark*

- This paper
  - Provided new stylized facts on the relationship between city size and automation
  - Developed a general equilibrium spatial model to investigate the effects of automation on the distribution of economic activity and regional inequality.
  - Equilibrium analysis of the model indicated that an increase in automation leads to wider dispersion in wages and welfare across cities.

## *Stylized facts: Data sources*

- Individuals' occupation, wage, industry, location and other characteristics from IPUMS USA
- Score for routine, abstract, and manual tasks from Autor and Dorn (2013)
- Industry and occupation crosswalks between different censuses from Dorn (2009)

Summary statistics

## Variables

- Measure of automation: Routine Task Index in city  $n$  ( $RTI_n$ ):
  - $RTI_n = \ln RS_n - \ln AS_n - \ln MS_n$
  - $RS_n = \frac{\sum_i \text{routine\_score}_{i,n}}{\sum_i Emp_{i,n}}$
  - $AS_n = \frac{\sum_i \text{abstract\_score}_{i,n}}{\sum_i Emp_{i,n}}$
  - $MS_n = \frac{\sum_i \text{manual\_score}_{i,n}}{\sum_i Emp_{i,n}}$
- City size (CS): Sum of employed individual  $i$  in city  $n$ 
  - $CS = \sum_i Emp_{i,n}$
- Other variables: Median Age (MA), Median year of education (ME), Fraction of white employee (WF), Hourly wage rate (WR).

# Summary statistics

*Table:* Descriptive statistics

Variable		Mean	Std. Dev.	Min	Max	Observations
RTI	Overall	-1.616	0.617	-4.421	0.988	N = 5425
	Between		0.528	-4.045	-0.602	n = 408
	Within		0.281	-2.651	0.338	$\bar{T}$ = 13.297
City size	Overall	137.878	221.026	1	3184	N = 5425
	Between		186.353	11.545	2558	n = 408
	Within		44.633	-503.872	763.878	$\bar{T}$ = 13.297
Median age	Overall	41.211	3.62	25	67	N = 5425
	Between		2.312	29.5	52.4	n = 408
	Within		3.013	26.078	66.666	$\bar{T}$ = 13.297
Median education	Overall	11.693	1.579	6	16	N = 5425
	Between		1.221	9.636	15	n = 408
	Within		1.045	3.46	16.755	$\bar{T}$ = 13.297
White employee	Overall	0.416	0.088	0	1	N = 5425
	Between		0.075	0.079	0.543	n = 408
	Within		0.041	-0.028	0.934	$\bar{T}$ = 13.297
Hourly wage	Overall	6.505	8.703	0	154.48	N = 5425
	Between		6.568	0	78.963	n = 408
	Within		4.452	-28.409	82.023	$\bar{T}$ = 13.297

# Fact 1 regression

Table: Effect of city size on automation

		Dep. Var. = <i>RTI</i>		
		(1)	(2)	(3)
<i>lnCS</i>		-0.422*** (0.021)	-0.421*** (0.021)	-0.421*** (0.022)
<i>lnMA</i>			-0.096 (0.065)	-0.02 (0.066)
<i>lnME</i>			-0.523*** (0.064)	-0.429*** (0.066)
<i>WF</i>			-0.321** (0.157)	-0.444*** (0.158)
<i>lnWR</i>			-0.048*** (0.009)	-0.049*** (0.009)
<i>Constant</i>		0.254*** (0.093)	2.15*** (0.318)	1.793*** (0.32)
<i>Time FE</i>		No	No	Yes
<i>Overall R<sup>2</sup></i>		0.7426	0.7535	0.7544
<i>Observations</i>		5425	5425	5425
<i>Groups</i>		408	408	408

<sup>1</sup> Note: Standard errors are in parentheses. Standard errors are clustered at county level.

<sup>2</sup> \*\*\* $p < 0.01$ , \*\* $p < 0.05$ , and \* $p < 0.1$ .

<sup>3</sup> Source: Estimated using IPUMS and Autor and Dorn (2013) data.

## Fact 2 regression

*Table:* Larger cities in the year 2019 experienced greater automation

		Dep. Var. = $\Delta RTI$			
		Unweighted		Weighted	
		(1)	(2)	(3)	(4)
<i>lnCS</i>	2019	-0.115 (0.044)	00.016 (0.059)	-0.098*** (0.002)	-0.048*** (0.004)
<i>lnMA</i>	2019		-0.35 (0.507)		0.665*** (0.044)
<i>lnME</i>	2019		-0.512* (0.270)		-1.113*** (0.023)
<i>WF</i>	2019		1.161*** (0.326)		1.012*** (0.025)
<i>lnWR</i>	2019		-0.121** (0.059)		-0.044*** (0.005)
<i>Constant</i>		0.235 (0.208)	2.042 (1.995)	0.148*** (0.015)	0.016 (0.188)
<i>Overall</i>	<i>R</i> <sup>2</sup>	0.0051	0.1493	0.0674	0.2472
<i>Observations</i>		138	138	23107	23107

<sup>1</sup> Robust standard errors are in parentheses. Employment in 2019 is used as weight for estimates in column (3) and (4).

<sup>2</sup> \*\*\* $p < 0.01$ , \*\* $p < 0.05$ , and \* $p < 0.1$ .

<sup>3</sup> Source: Estimated using IPUMS and Autor and Dorn (2013) data.

*Fact 3 regression**Table:* Faster growing cities become more automated

	Dep. Var. = $\Delta RTI$			
	(1)	(2)	(3)	(4)
$\Delta \ln CS$	-0.468*** (0.081)	-0.434*** (0.082)	-0.546*** (0.114)	-0.607*** (0.0124)
$\Delta \ln MA$		-0.409 (0.417)	0.185 (0.491)	0.337 (0.539)
$\Delta \ln ME$		-0.975*** (0.268)	-1.024*** (0.247)	-1.165*** (0.284)
$\Delta \ln WF$		-0.005 (0.015)	0.003 (0.014)	0.002 (0.016)
$\Delta \ln WR$		-0.094** (0.04)	-0.129** (0.05)	-0.118** (0.053)
Constant	-0.207*** (0.032)	0.158 (0.604)	-0.224 (0.0575)	-0.180 (0.668)
Overall $R^2$	0.2497	0.3574	0.4414	0.4603
Observations	138	138	138	138

<sup>1</sup> Note: Robust standard errors are in parentheses. Columns (1) and (2) show unweighted regression estimates. Column (3) provides the weighted estimates, where the county-level employment in 2000 is used as weight. Similarly, column (4) show the weighted estimates, where the county-level employment in 2019 is used as weight.

<sup>2</sup> \*\*\* $p < 0.01$ , \*\* $p < 0.05$ , and \* $p < 0.1$ .

<sup>3</sup> Source: Estimated using IPUMS and Autor and Dorn (2013) data.

## Estimation of $\nu$

*Table:* Estimation of idiosyncratic city preferences,  $\nu$

		Dep. Var. = City level population, $L_n$			
		(1)	(2)	(3)	(4)
<i>Rent</i>		-0.601*** (0.084)	-0.613*** (0.080)	-0.520*** (0.081)	-0.437*** (0.133)
<i>WR</i>			0.128*** (0.000)	0.121*** (0.016)	0.108*** (0.014)
<i>MedAge</i>				-0.01** (0.004)	-0.008** (0.003)
<i>MedEduc</i>				-0.036*** (0.008)	-0.029* (0.007)
<i>WhiteFrac</i>				-0.951* (0.547)	-0.029*** (0.488)
<i>Constant</i>		9.15*** (0.559)	9.07*** (0.530)	9.68*** (0.570)	8.999*** (0.869)
<i>TimeFE</i>		No	No	No	Yes
<i>Overall R<sup>2</sup></i>		0.095	0.006	0.061	0.095
<i>N</i>		3888	3888	3888	3888

- The estimates of the coefficient of rent range from -0.44 to -0.61, which implies a value of  $\nu$  ranging from 1.26 to 1.75. I set the value of  $\nu$  to 1.5.

## Estimation of $\iota$

*Table:* Estimation of capital production technology,  $\iota$

	Dep. Var. = Total revenue ( $R$ )	
	(1)	(2)
<i>Capital</i>	0.921*** (0.002)	0.845*** (0.034)
<i>Labor</i>		0.269*** (0.032)
<i>Constant</i>	-0.048*** (0.011)	-0.976*** (0.242)
$R^2$	0.7756	0.7698
N	76637	339

- The estimate of capital coefficient is 0.85 after controlling labor expenses.

$$\iota = \sqrt{\frac{1}{\alpha_1} \frac{K}{R}} = \sqrt{\frac{1}{0.85} \frac{6875.88}{3907.89}} = 1.44.$$

## *Estimation of $b$*

- $T(\omega) \sim U(0, b)$ , where  $b$  is estimated to match the variance of the distribution of  $RTI$ :  $V(RTI) = \frac{b^2}{12}$
- Using IPUMS data, I estimate the variance of Industry-level  $RTI$  to be 0.029.
- The value of  $b$  is estimated to be about 0.59. I fix it to 0.6.

Estimation of parameters

## *Estimation of $std(A_n)$*

- Following Diamond (2016), I specify:

$$\ln W_n = \beta_0 + \beta_1 \ln educ_n + \beta_2 RTI_n + A_n$$

- $A_n$  is the residual of the above regression
- The estimated distribution of  $A_n$  has mean 1.032 and standard deviation 0.277.

Estimation of parameters

## *Estimation of $std(z_n^\omega)$*

- Using the model's aggregate agglomeration benefit equation, I specify the following regression:

$$Z_n^\omega = \alpha_0 + \alpha_1 \ln A_n + \theta \ln L_n + z_n^\omega$$

- Estimated residuals of above regression are used as a measure of  $z_n^\omega$
- The distribution of  $z_n^\omega$  has a mean of 1 and standard deviation of 0.02.

Estimation of parameters

# Numerical results of the model are consistent with empirical evidence

